Modeling Assessment to Enhance Teaching and Learning Pls: Richard Lehrer (Vanderbilt University), Mark Wilson (University of California, Berkeley)

Project Overview

Construct-centered assessments

Construct-centered assessments can inform efforts to support learning across grades K-5. This project aims to create and test a novel assessment system designed to address two coordinated purposes:

- (1) to provide ongoing, instructionally productive evidence to teachers about student learning; and
- (2) to link dense information from student work products, classroom conversations, and formative assessments with summative assessments in new models that generate robust estimates of the growth of student learning.

K-5 mathematics based on measuring space

For the past 5 years, we collaborated with K-5 teachers in two elementary schools to develop a learning progression that fosters student thinking about spatial measurement.

This includes the measure of length, area, volume and angle with extensions to rational number.



To support development, our instructional support consistently invoked two embodied metaphors:





Linking Across Multiple Forms of Construct-centered Assessments

Change: A classroom view

This heat map shows observations aggregated across all students in several first-grade classrooms. The visualization was directed to a teacher question about whether 2-split unit iteration could be made accessible to most of their children.





ToML3: MEASURING BY UNIT ITERATION and CONSTRUCTING A MEASUREMENT SCALE	3	Measuring by Unit Iteration and Constructing a Measurement Scale	
ToML3 is initiated by unit iteration, meaning that counts of units that span a length can be accomplished by translating the unit. (Translation connects measurement to the more general study of isometries—transformations that preserve the lengths and angles of a figure.) As students become familiar with procedures for iterating a unit (e.g., re-using the unit by marking its endpoint to signal the beginning of the next unit), they learn to symbolize the starting point of measure as 0. And they understand conventions, such as labeling the endpoints of units on a ruler to signal distance traveled from the origin (0). For example, 3 on a standard ruler is marked at the endpoint of the third unit, not at its center. Invoking motion helps children distinguish measured length as indicating distance traveled from a mere count of a collection of units. These understandings constitute the beginnings of understanding a measurement scale—a way of specifying relations among units to designate quantities. Students understand that a measure of 10 <i>u</i> implies that the length can be subdivided into 10 congruent parts. However, they may not yet routinely understand the reciprocal relation, that 1 unit is $\frac{1}{10}$ times as long as 10 units.	Levels	Performances	Examples
	ToML 3C	Symbolize/Write units at endpoints of unit intervals on measuring tool (ruler, tape measure) to indicate distance traveled from origin.	"You don't write a 1 in the middle of the unit like this one because the unit starts at zero and ends at 1 – that's how far you have traveled! When you put it in the middle, you don't see where the unit ends.
	ToML 3B	Symbolize/Write starting point of measure as zero (0).	"Here (points to starting point on tape measure) is zero." Labels as "O" or says, "zero."
	ToML 3A	Re-use (iterate) a unit to measure.	"I just had one unit so I marked its end and then used it again, marked its end again, and kept doing that. It's 8 paper clips long."

Blended assessments

In situ observations: As a lesson unfolds, teachers observe student thinking and create records of thinking trails on handheld tablets. Video, audio, photo, and notes support assignment of one or more students to a particular sublevel of a construct.



Formative assessments: The lessons include FA items and guides for follow-up classroom conversations.

Summative assessments: Items are designed to be consistent with performances described by the measurement constructs.

Teachers' changing view:

I just remember I used to think, "There is no way my first-graders are going to be able to do that." I mean, I knew they could probably do one half, but thinking about them, understanding the idea of seven halves, I just really thought that was probably way beyond them. And then now, it's not. It's really realistic. I feel like, in the past several years, two splits have been just part of the regular measurement. The two splits have become a big idea.





Log out	
bservation 2/2022	Students Observed Amy D Blair E
otes iterated half- a ruler, and y 2/2 = 1 and	Candice P <mark>Demi A</mark> Eric K Fiona P Gabriella S Harry P
Construct	<mark>Ivy S</mark> Jason G Kaden L
mples IL 4C ers long, or we 2 or 12/4 units ng."	

Constructs Mediate Classroom Dialogue: Penumbra of Possibilities

Where is zero on this line?

The teacher had measured a line segment drawn on a paper with 5 paper clips. The class was considering how to label the measure on the line.

As the classroom conversation continued, other observing teachers "paused" the conversation to clarify where zero should be.



Zero signifies negative space

As the classroom conversation continued, other observing teachers "paused" the conversation to clarify where whole-units label should be placed, by invoking the continuous motion metaphor. One teacher asked students to yell out stop when she had traveled one whole unit. She asked another teacher to place her finger to mark where students said stop.





Learn More:

Free online resources include instructional guides, examples of student thinking, and other teacherfocused materials, helping clarify how to bring concepts of measure and rational number to life in classrooms.



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